

**I. Solving Trigonometric Equations without the calculator.**

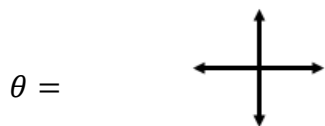
- Note the constraints of the answer.
- Determine the angle (quadrantal or reference) that will produce the given ratio.
- Sketch the \_\_\_\_\_ angle in the quadrant(s) that will produce the given \_\_\_\_\_ of the ratio.
- Determine the actual angle within the given constraints that will produce the given ratio.
  - If the reference angle is in Quadrant I, then the \_\_\_\_\_ angle is the answer.
  - If the reference angle is in Quadrant II, \_\_\_\_\_ from  $180^\circ$  or  $\pi$ .
  - If the reference angle is in Quadrant III, \_\_\_\_\_ to  $180^\circ$  or  $\pi$ .
  - If the reference angle is in Quadrant IV, subtract from \_\_\_\_\_ or \_\_\_\_\_.

Solve for  $\theta$  **without** the calculator. Answer in **exact** values.

#1 – 2.  $0^\circ \leq \theta \leq 90^\circ$

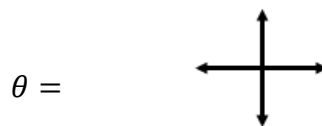
1.  $\tan \theta = \sqrt{3}$

$\theta' =$



2.  $\sec \theta = \frac{2\sqrt{3}}{3}$

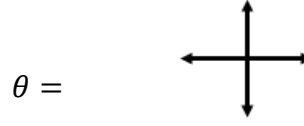
$\theta' =$



#3 – 4.  $0 \leq \theta \leq \frac{\pi}{2}$

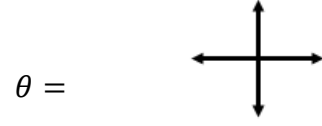
3.  $\sin \theta = 0$

$\theta' =$



4.  $\cot \theta = 1$

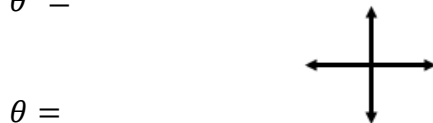
$\theta' =$



#5 – 7.  $0^\circ \leq \theta < 360^\circ$

5.  $\cos \theta = -\frac{\sqrt{2}}{2}$

$\theta' =$



6.  $\cot \theta = \sqrt{3}$

$\theta' =$



7.  $\sin \theta = -\frac{1}{2}$

$\theta' =$



#8 – 10.  $0 \leq \theta < 2\pi$

8.  $\sec \theta = 2$

$\theta' =$



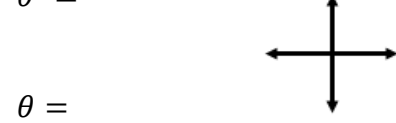
9.  $\tan \theta = -1$

$\theta' =$



10.  $\csc \theta = \text{und}$

$\theta' =$



**II. Solving Trigonometric Equations with the calculator.**

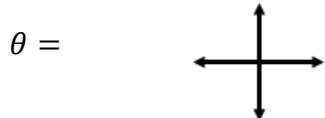
- Note the constraints of the answer.
- Determine the reference angle using the calculator.
  - Check the mode on the calculator.
  - Use the inverse Trig functions ( $\sin^{-1}$ ,  $\cos^{-1}$  or  $\tan^{-1}$ ) to determine the reference angle given the ratio of the function. Use **only** the **POSITIVE** ratio to determine the reference angle. Record and store the value of the reference angle in your calculator.
- Sketch the \_\_\_\_\_ angle in the quadrant(s) that will produce the given \_\_\_\_\_ of the ratio.
- Determine the actual angle within the given constraints that will produce the given ratio.
  - If the reference angle is in Quadrant I, then the \_\_\_\_\_ angle is the answer.
  - If the reference angle is in Quadrant II, \_\_\_\_\_ from  $180^\circ$  or  $\pi$ .
  - If the reference angle is in Quadrant III, \_\_\_\_\_ to  $180^\circ$  or  $\pi$ .
  - If the reference angle is in Quadrant IV, subtract from \_\_\_\_\_ or \_\_\_\_\_.

Solve for  $\theta$  **with** the calculator. Round answer in to 3 decimal places

#1 – 2.  $0^\circ \leq \theta \leq 90^\circ$

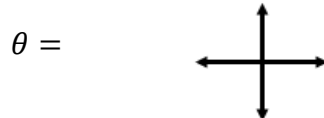
1.  $\tan \theta = 3.15$

$\theta' =$



2.  $\csc \theta = 1.76$

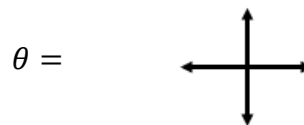
$\theta' =$



#3 – 4.  $0 \leq \theta \leq \frac{\pi}{2}$

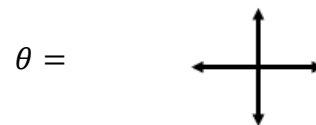
3.  $\cos \theta = \frac{4}{9}$

$\theta' =$



4.  $\cot \theta = \frac{5}{11}$

$\theta' =$



#5 – 7.  $0^\circ \leq \theta < 360^\circ$

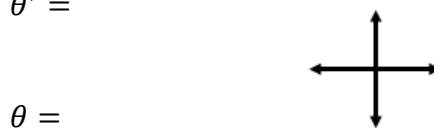
5.  $\sin \theta = -0.843$

$\theta' =$



6.  $\sec \theta = \frac{15}{7}$

$\theta' =$



7.  $\tan \theta = -\frac{8}{13}$

$\theta' =$



#8 – 10.  $0 \leq \theta < 2\pi$

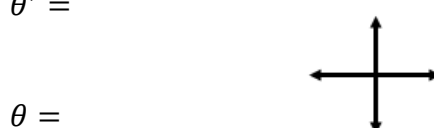
8.  $\csc \theta = 4.5$

$\theta' =$



9.  $\cos \theta = -\frac{5}{8}$

$\theta' =$



10.  $\cot \theta = 8.06$

$\theta' =$

