An angle is formed when a ray is rotated about its endpoint. The first ray is called the $\qquad$ side and the second ray is called the $\qquad$ side of the angle. The common endpoint between these two rays is called the $\qquad$ . LABEL the parts the angle.


An angle is identified by:

1. The direction of its rotation.

* $\qquad$ angles are generated by counterclockwise rotations.
*Negative angles are generated by $\qquad$ Rotations.

2. The amount of the rotation (the size of the angle).

An angle is in $\qquad$ position when:

1. Its vertex is at the $\qquad$ of a rectangular coordinate system.
2. Its initial side lies along the $\qquad$ _.

When an angle is in standard position and its terminal side lies on the $x$-axis or $y$-axis, the angle is called a
$\qquad$ angle. Otherwise, the terminal side can lie in any of the 4 quadrants of the coordinate plane and we say that the angle lies in that quadrant.

ANGLE MEASUREMENT. Angles are measured either in DEGREE S or RADIANS.
A. Degrees
1 revolution = $\qquad$ degrees
$\frac{1}{2}$ revolution = $\qquad$ degrees
B. Radians
1 revolution $=$ $\qquad$ radians
$\frac{1}{2}$ revolution $=$ $\qquad$ radians
**Label the quadrants, the FILL in the UNIT CIRCLE with special angle measurements in DEGREE and RADIAN.
Quadrant $\qquad$ Quadrant $\qquad$
$\qquad$

CONVERSION.
Degree $\rightleftharpoons$ Radian
Degree Measurement $\times \frac{\pi}{180^{\circ}}$
Ex. Convert to Radian

1. $120^{\circ}$

Ex. Convert to Degree

1. $\frac{11}{12} \pi$
2. $145^{\circ}$
3. 4

Sketch each angle in standard position and state which quadrant the angle lies. (Do not convert to degrees)

1. $-\frac{7}{4} \pi$
2. $500^{\circ}$
3. $\frac{16}{3} \pi$


Angles with the same initial side and terminal sides are called $\qquad$ angles.
Coterminal angles are obtained by adding or subtracting multiples of $2 \pi$ or $360^{\circ}$.
Ex. Find a positive angle less than $2 \pi$ or $360^{\circ}$ that is coterminal with the given angle in standard position.

1. $510^{\circ}$
2. $-\frac{4}{7} \pi$
3. $\frac{21}{5} \pi$
